

Buoyancy Force

Buoyancy greater than zero (+) corresponds with upward acceleration  
 Buoyancy less than zero (-) corresponds with downward acceleration

$$f_B = \frac{(T - T')}{T'} g$$

If  $T > T'$  then upward acceleration should be expected

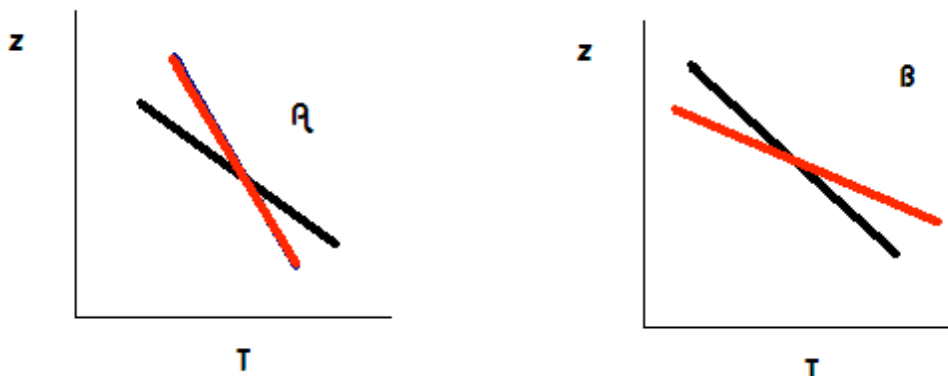
If  $T < T'$  then downward acceleration should be expected

NOTE:  $T$ = temperature of parcel  $T'$ = temperature of surroundings

Dry Adiabatic lapse rate of Atmosphere and stability

$$\frac{dT}{dz} = -\frac{g}{C_p} = -10 \frac{K}{km}$$

$K$ =Kelvin,  $km$ =kilometers,  $dz$ =change in height,  $dT$ =change in Temperature,  $g$ =gravity,  $C_p$ =specific heat at constant pressure



Graph A, is an example where the  $T(z)$  observed is less than the dry adiabatic lapse rate resulting in stable atmospheric conditions. In stable atmospheric conditions, the system (atmosphere) responds to a small perturbation by returning to its original state.

Graph B, is an example where the  $T(z)$  observed is greater than the dry adiabatic lapse rate resulting in unstable atmospheric conditions. In unstable atmospheric conditions, the system (atmosphere) responds to a small perturbation by tending to accelerate irreversibly away from its original state.

Key

$z$ =height

$T$ =Temperature

RED= $T(z)$  observed

BLACK= Dry lapse rate  $\sim 10K/km$

First Law of Thermo dynamics (with enthalpy)

$$dh - \alpha dp = Q = 0$$

for an adiabatic process, where,  $dh$ =enthalpy,  $h=C_pT$ ,  $\alpha$ =specific volume,  $dp$ =change in pressure